

A Strategy for Forced Oscillation Suppression

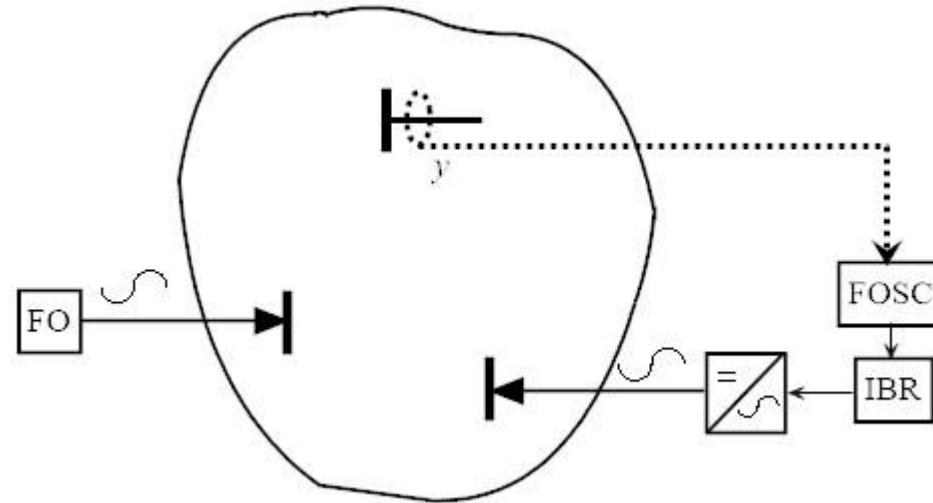
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Introduction

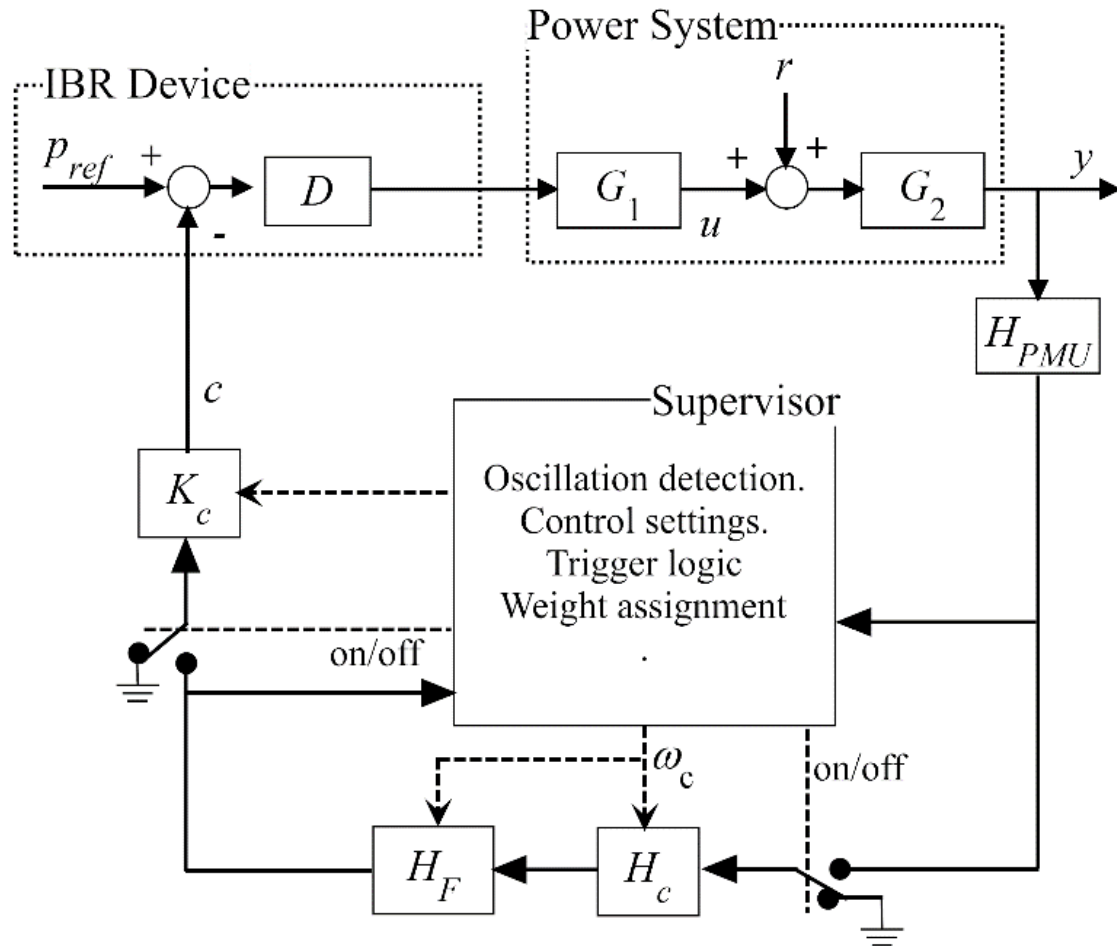
- Forced oscillations are can be represented as a steady-state input into the system, typically with an unknown location.
- Typical mitigation strategy: find the location of the FO source and remove it.
- Another mitigation strategy: introduce a 2nd steady-state input into the system to “suppress” the FO’s impact.
 - Akin to “noise cancelation”
 - This is NOT damping control
 - Implemented as a tuned-feedback controller based upon *adaptive gain scheduling* and the *internal model principle*.

Overview



- FO = forced oscillation at an unknown location
 - y = measurement point within system
 - FOSC = forced oscillation suppression controller
 - IBR = inverter based resource
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- Goal: Inject power from the IBR to cancel the FO as measured at y

The control concept



D = IBR transfer function.

G_1 and G_2 = transfer functions with an arbitrary division of the synchronous power system, $G_1 G_2$.

r = A “rogue” FO being injected at an unknown location.

ω_c = fundamental frequency of r in rad/s (note $f_c = \omega_c / 2\pi$ Hz).

y = A measurement point in the power system.

H_{PMU} = transfer function of a measurement device (e.g., PMU).

H_F = transfer function of a band-pass filter tuned to frequency $\omega_c \pm 10\%$.

H_c = Control compensator transfer function.

K_c = Control gain.

c = controller output added to the P_{ref} of the IBR device

The control concept – cont.

Let $Y_R(s)$ = the component of y due to r transformed to the s domain.

In open loop

$$Y_R(s) = G_2(s)R(s)$$

In closed loop

$$Y_R(s) = \frac{G_2(s)R(s)}{1 + L(s)}$$

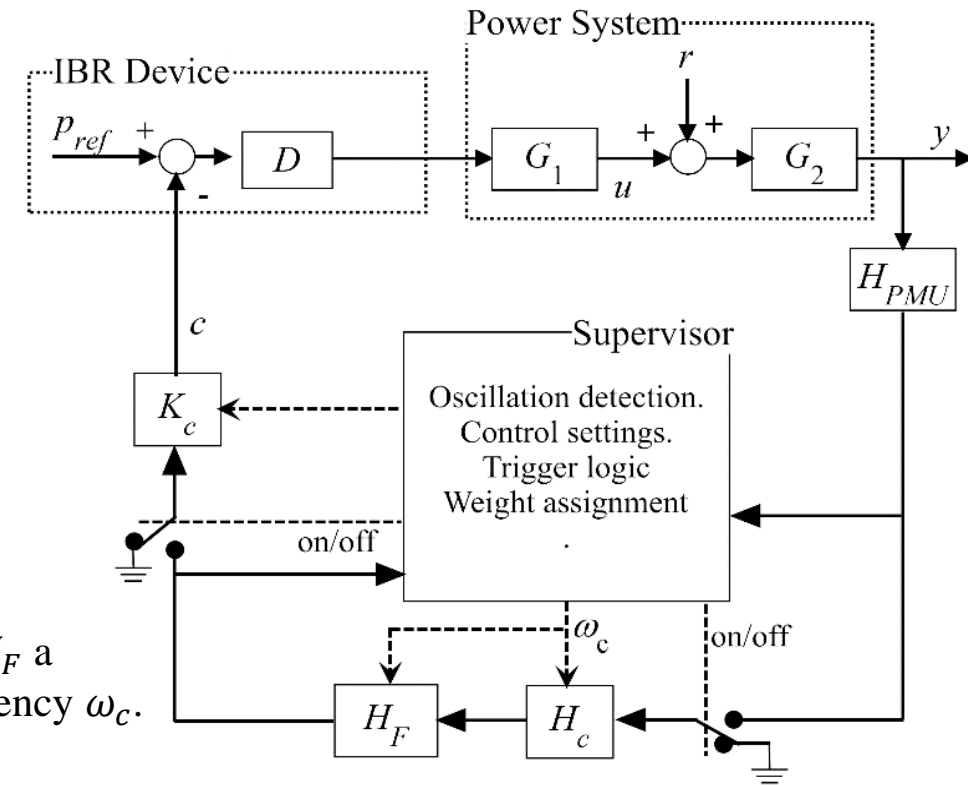
$$L(s) = D(s)G_1(s)G_2(s)H_{PMU}(s)H_c(s)H_F(s)K_c$$

Clearly, the larger $|L(j\omega_c)|$, the more y_R is suppressed. This is achieved by making H_F a damped oscillator and designing H_C to cancel the phase of $G \triangleq DG_1G_2H_{PMU}$ at frequency ω_c .

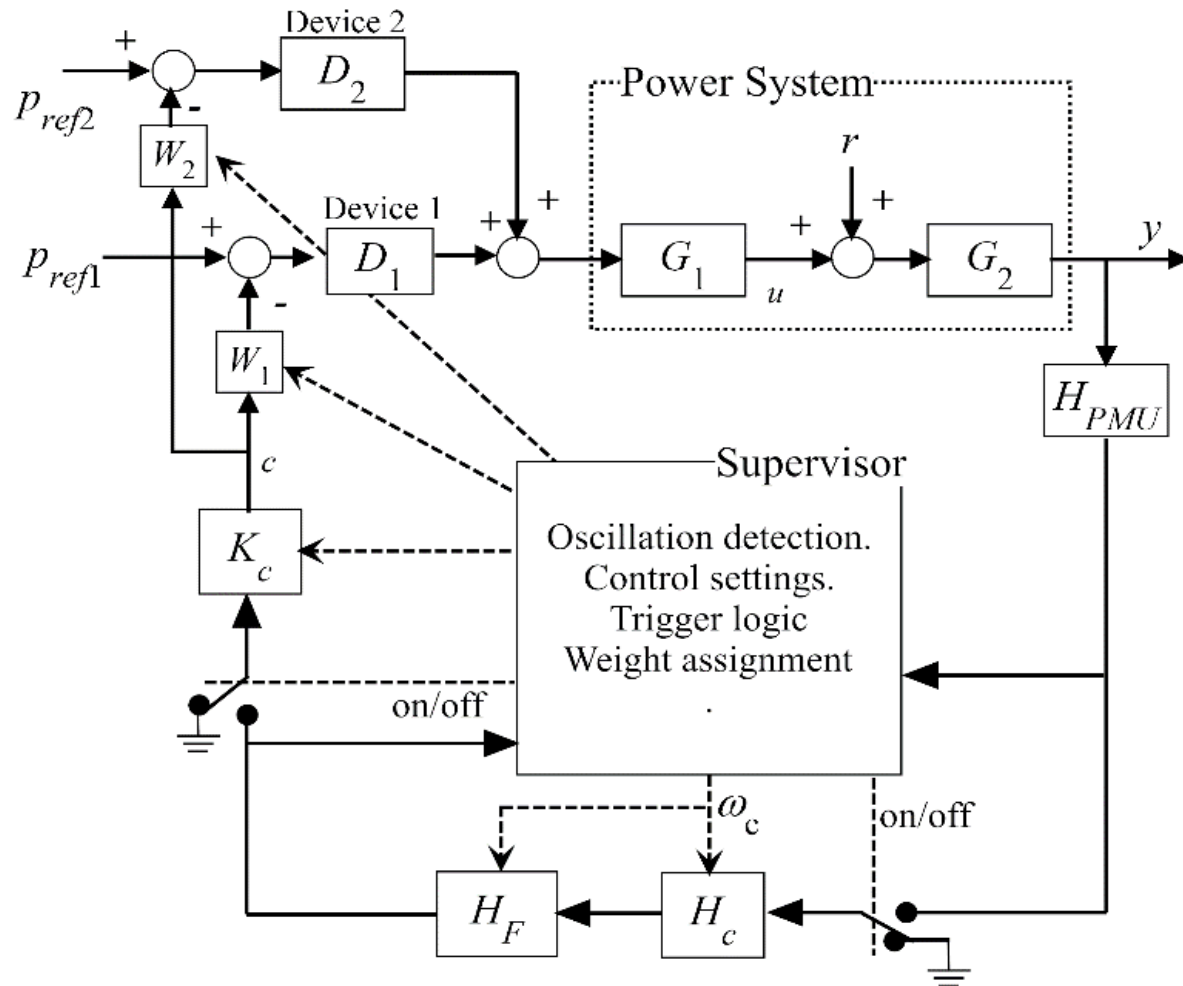
$$H_F(s) = \frac{2\zeta\omega_c s}{s^2 + 2\zeta\omega_c s + \omega_c^2}$$

$$H_C(s) = \frac{K(\alpha T s + 1)}{T s + 1}$$

where α , T , and K are automatically tuned such that $H_c(j\omega_c) = 1/G(j\omega_c)$. The damping ratio ζ is 0.1 to enable errors in the estimated FO frequency. The loop gain is then $L(j\omega_c) = K_c$. The gain K_c is automatically selected to the maximum while maintaining the loop's gain margin at 6 dB and a minimum phase margin of 45°.



Extending to multiple IBRs



Control effort is distributed to multiple IBRs via weights W_i such that

$$\sum_{i=1}^n W_i = 1$$

The design is the same as before where

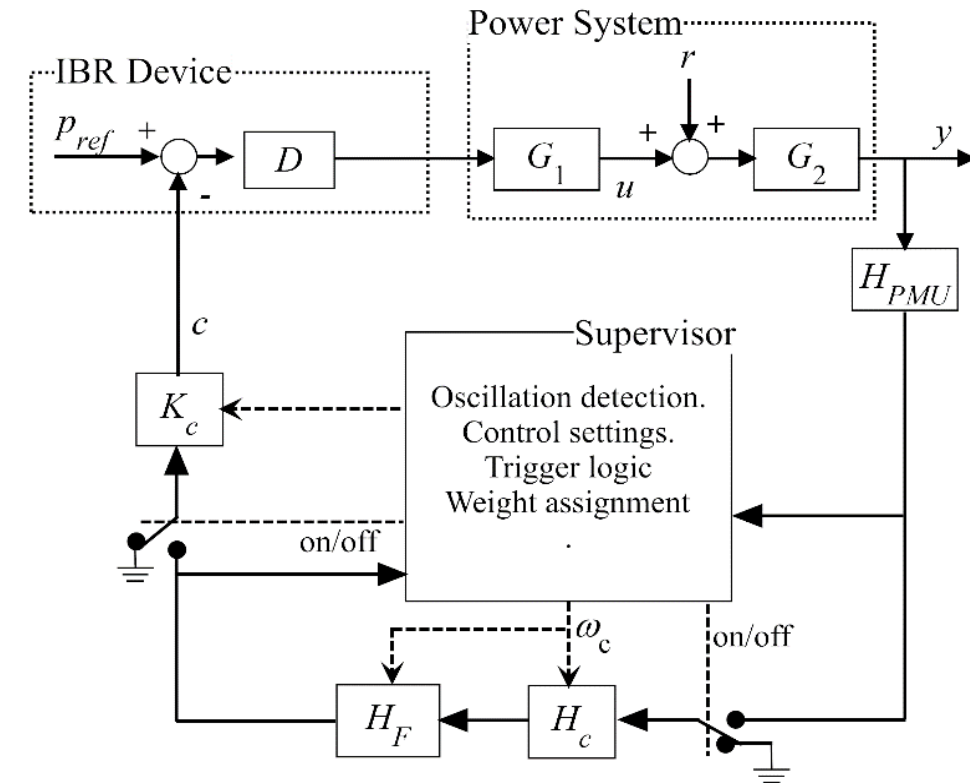
$$D(s) = \sum_{i=1}^n W_i D_i(s)$$

The automated supervisor

Apriori, develop an estimate of $G(j\omega)$ where $G = DG_1G_2H_{PMU}$.

The supervisor is an automated system that:

1. Detects an FO and quantifies its fundamental frequency ω_c .
2. Set the feedback control parameters H_F , α , T , K , and K_c .
3. Set device weights W_1 thru W_n .
4. Ramp in the control gain K_c .
5. Monitor the controller to shut down when the FO has ceased or its fundamental frequency has changed.



Simple example

Consider a system with a 1 Hz FO and parameters

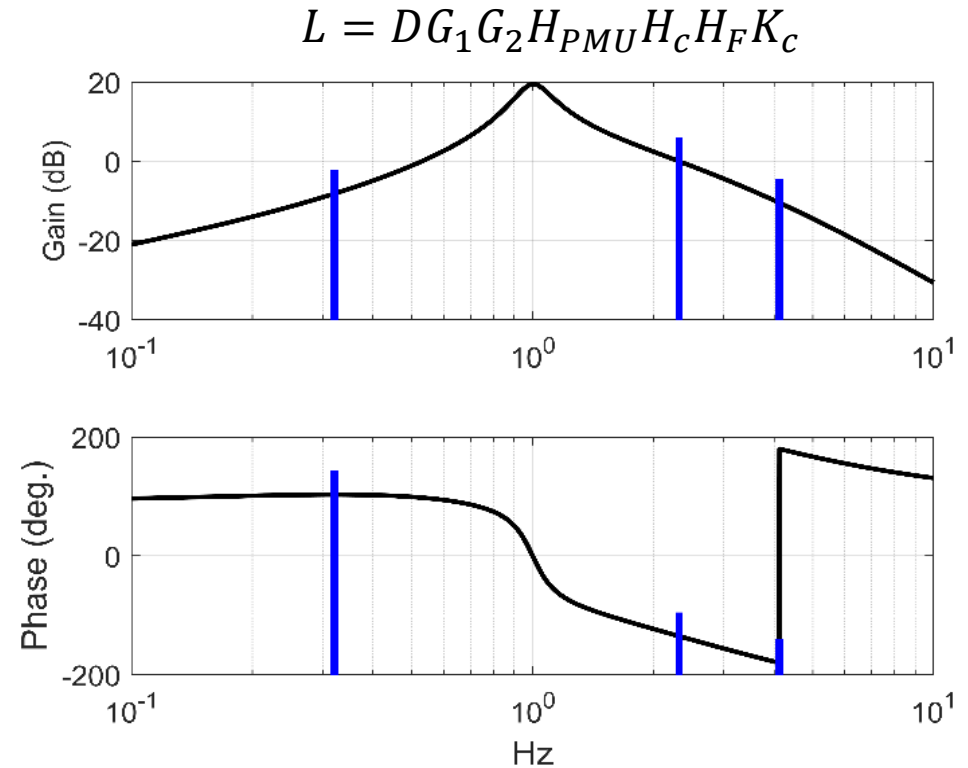
$$D = \frac{20}{s + 20}, \quad G_1 G_2 = \frac{10}{s + 10}, \quad H_{PMU} = 1$$

The resulting controller, gain, and filter are:

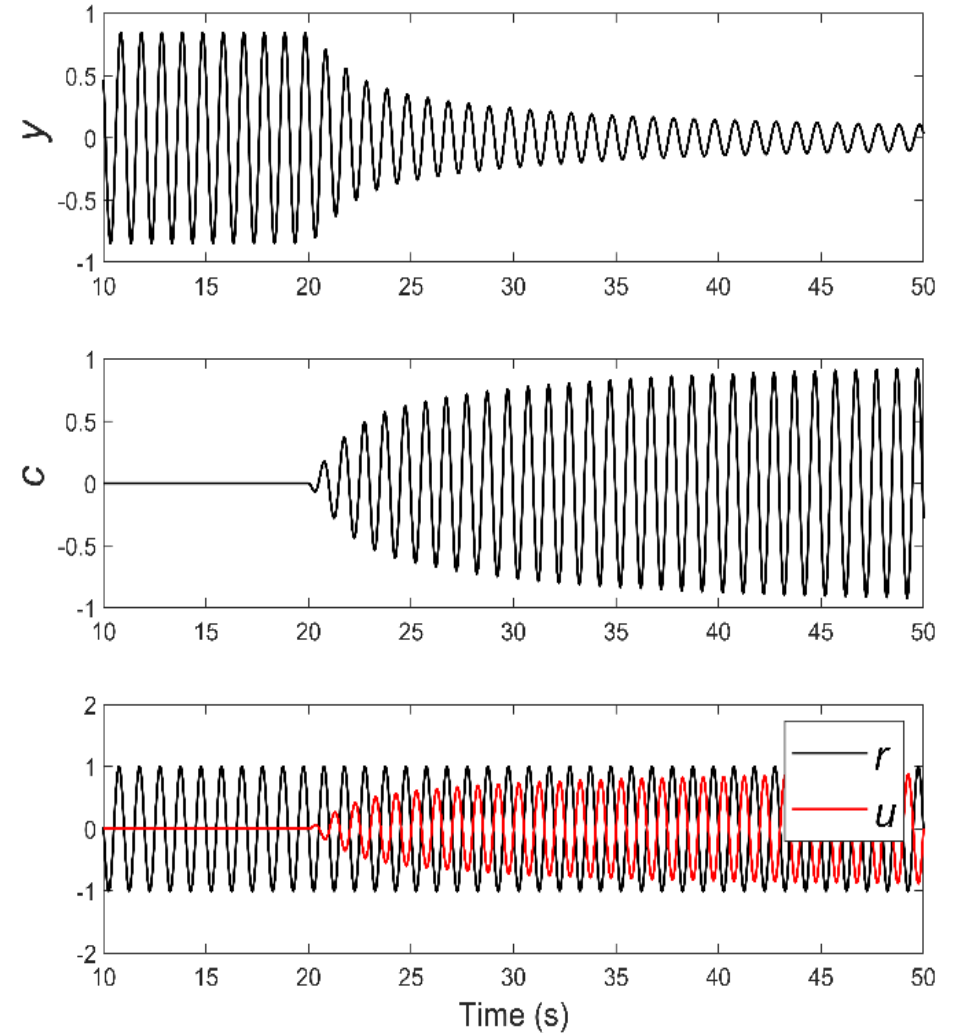
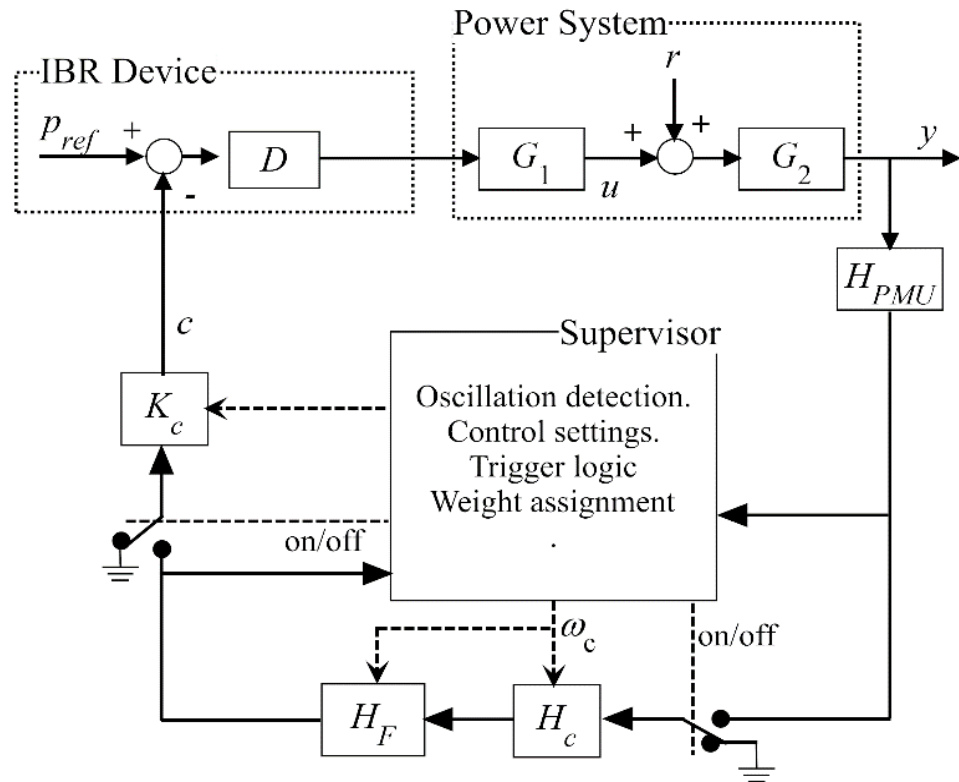
$$H_c = \frac{0.455(0.432s + 1)}{0.0586s + 1}$$

$$K_c = 9.40$$

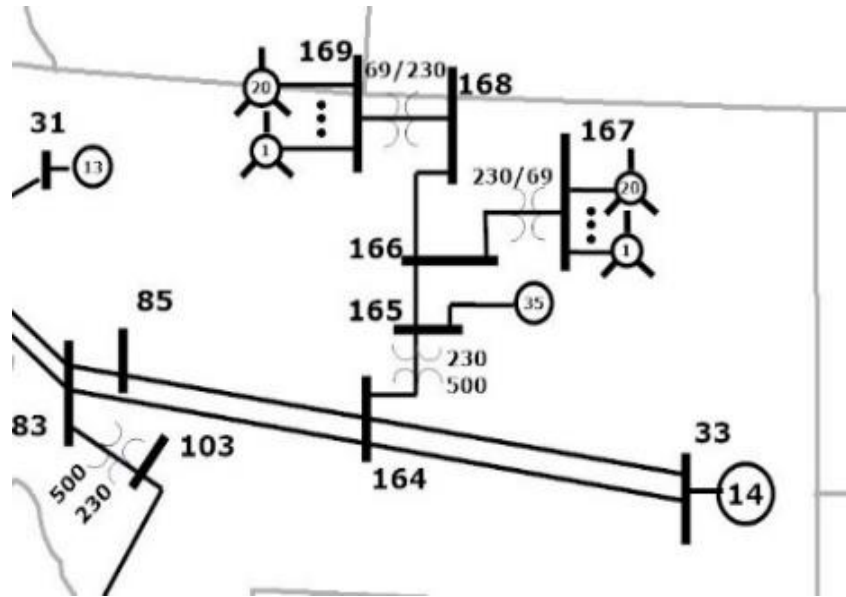
$$H_F = \frac{1.26s}{s^2 + 1.25s + 39.5}$$



Simple example – cont.

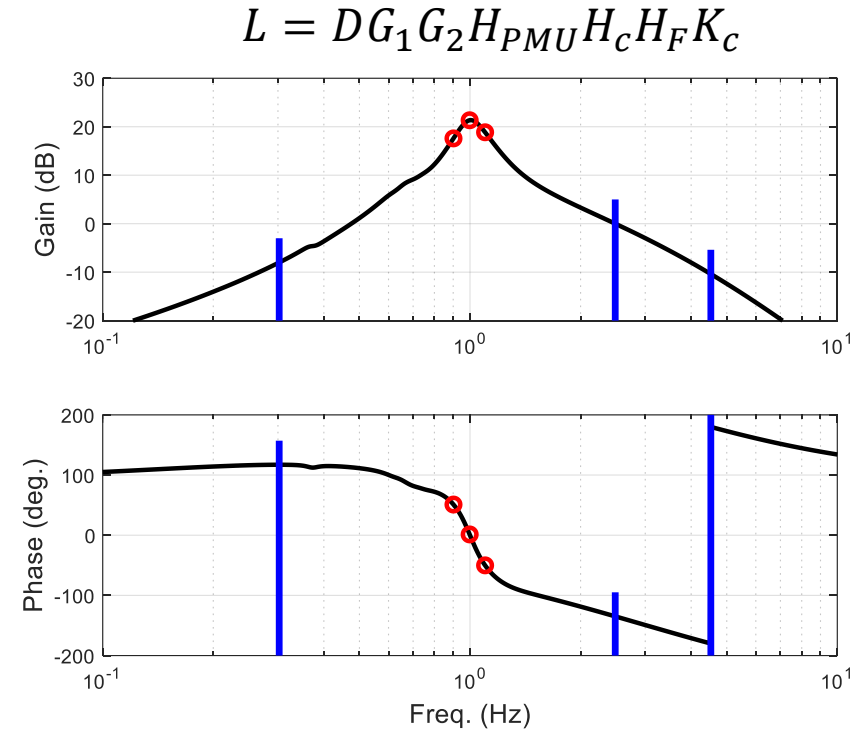
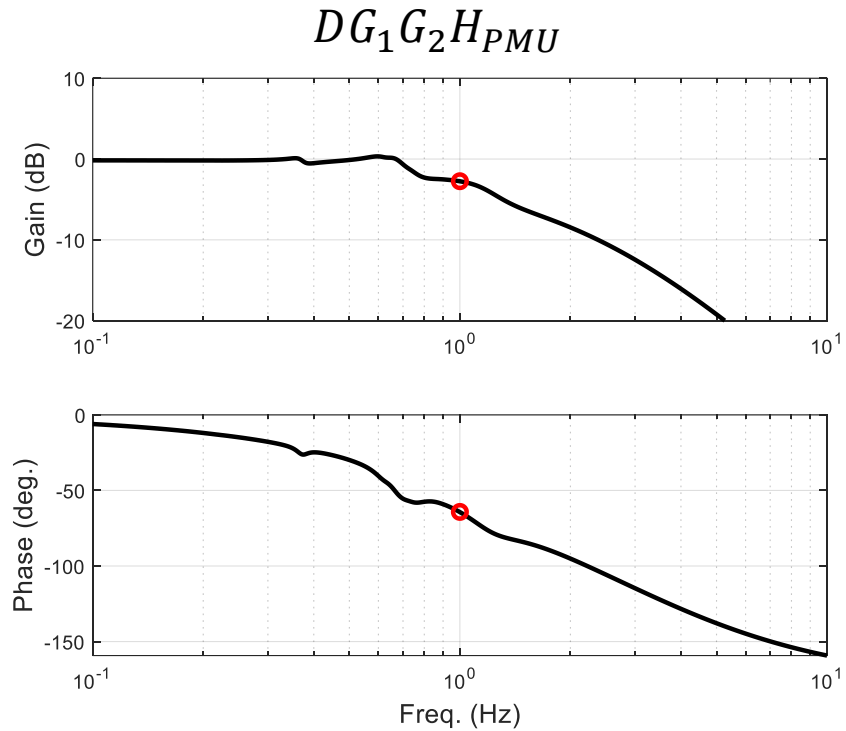


Power system example



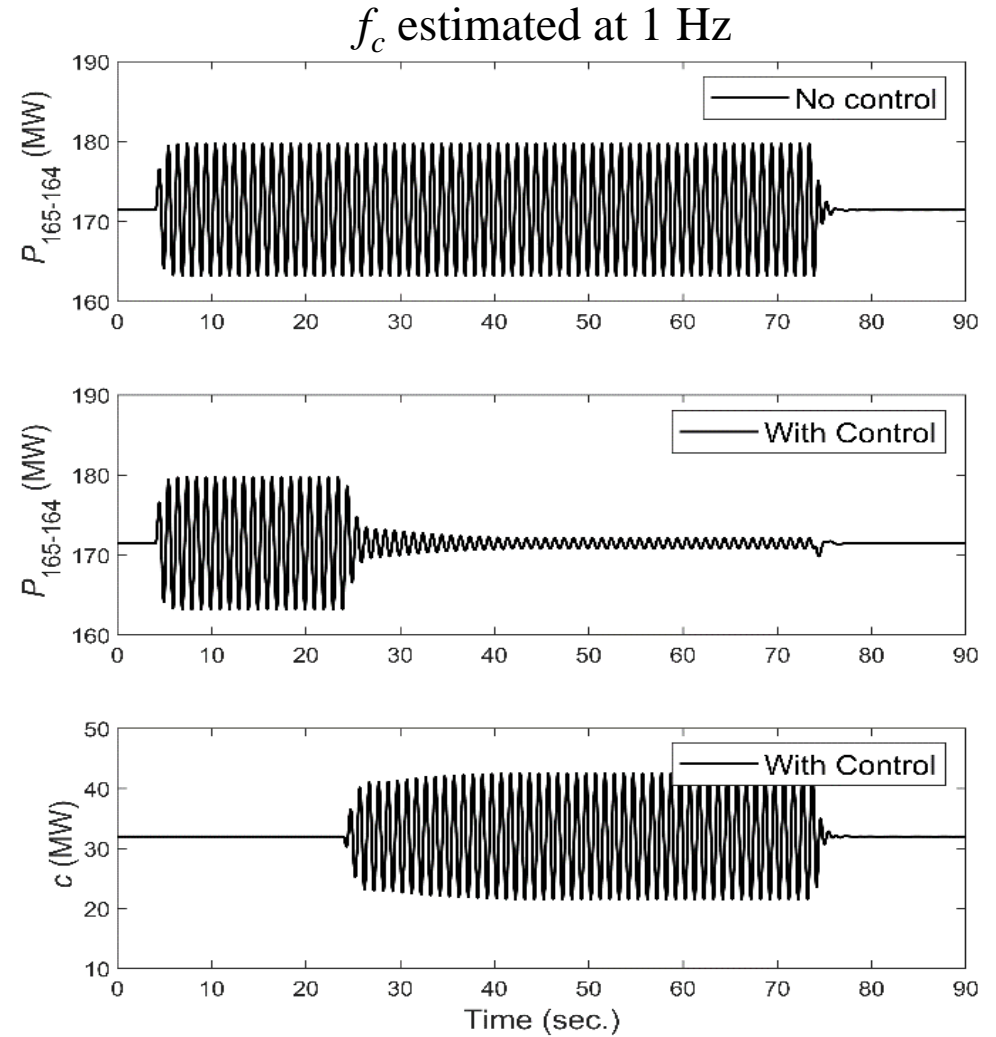
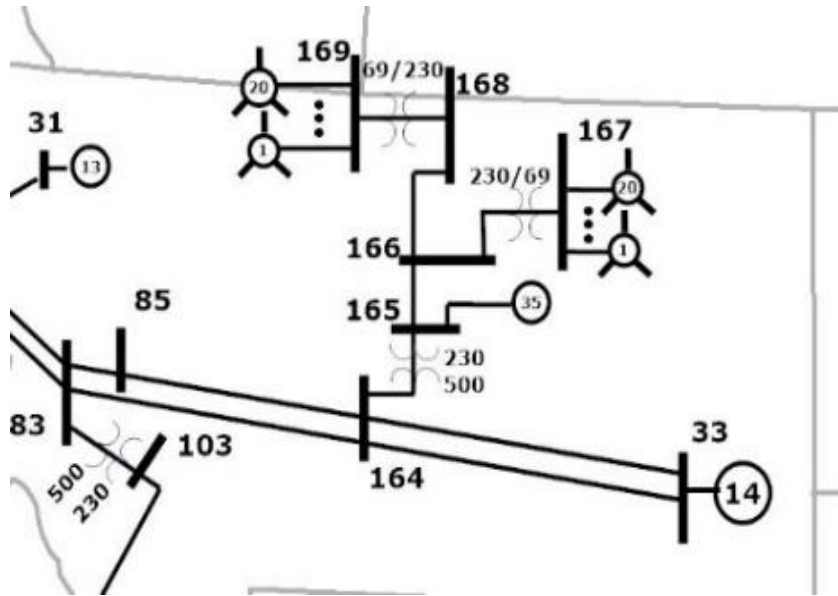
- Consider a radial interconnect to a 500kV bulk system consisting of:
 - A 400-MW gas-fired-turbine synchronous generator connected at bus 165 (generator 35).
 - 20 IBRs connected at bus 167; max rating of 3 MW each.
 - 20 IBRs connected at bus 169; 10 with a max rating of 3 MW each; 10 with a max rating of 1.5 MW each.
- FOSC is added to the 20 IBRs on bus 169. The W_i 's are scaled according to the power rating of each unit.
- $y = P_{165-164} =$ real power-flow from bus 165 to 164.

Power system example – cont.



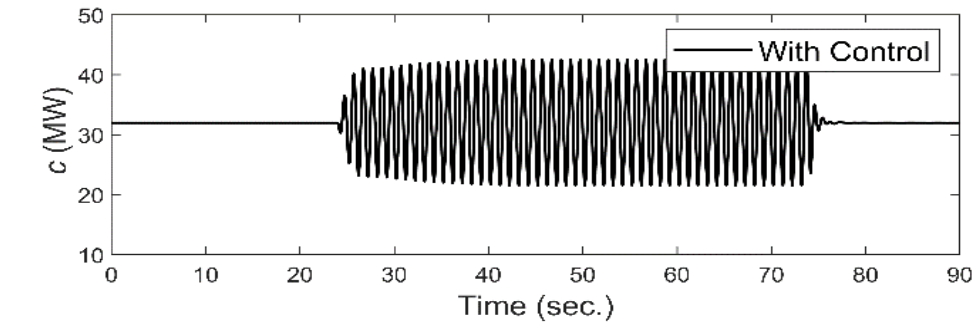
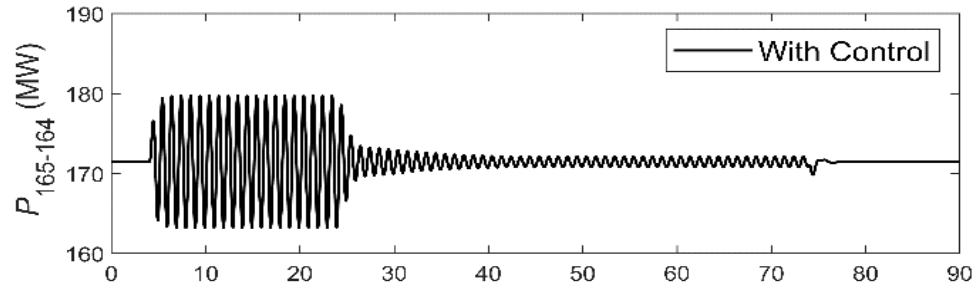
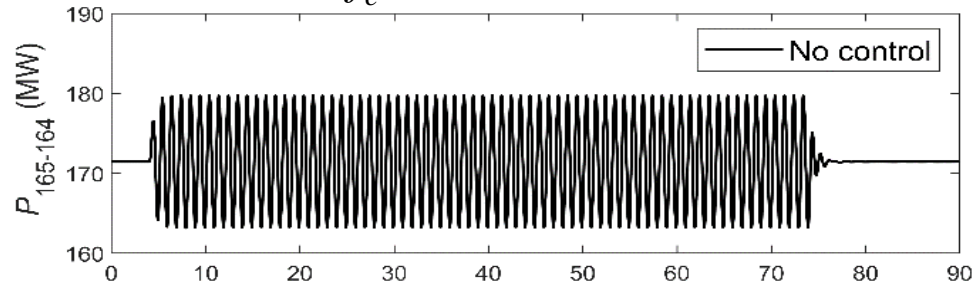
Power system example – cont.

A 1.0-Hz FO is induced into the turbine of gen. 35 starting at $t = 5$ sec. and continuing until the $t = 74$ sec.

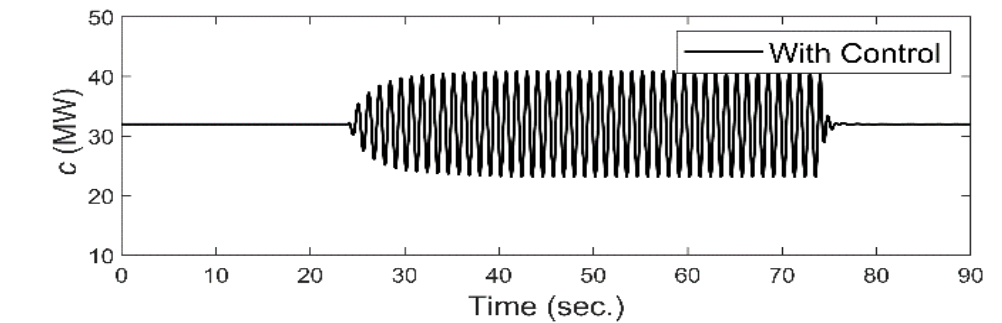
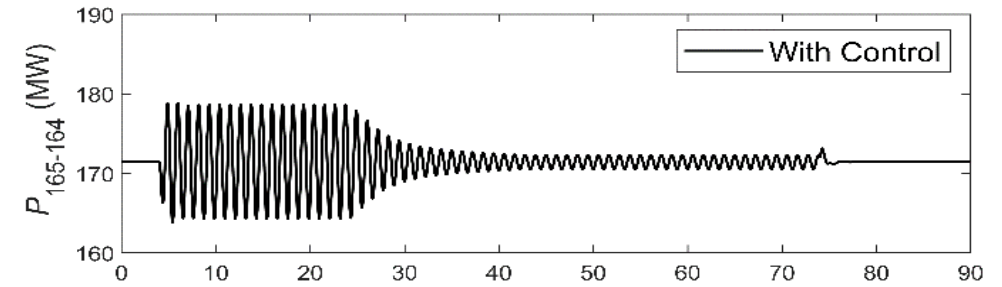
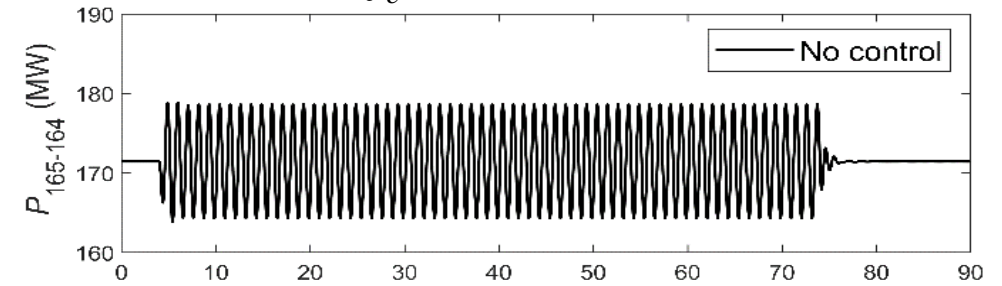


Power system example – cont.

f_c estimated at 1 Hz



f_c estimated at 0.9 Hz



Conclusions

- Unique FO suppression control strategy.
- Implemented as a tuned-feedback controller based upon *adaptive gain scheduling* and the *internal model principle*.
- Designed to have excellent robustness properties
 - errors in the estimated plant
 - errors in the estimated FO frequency.
- Extended to multiple IBRs.
- Detailed radial system example.
- Future work:
 - application to meshed systems
 - higher frequency FOs
 - suppression based on other measurements (Q , V , and f) or a combination of measurements
 - noise impacts
 - field testing